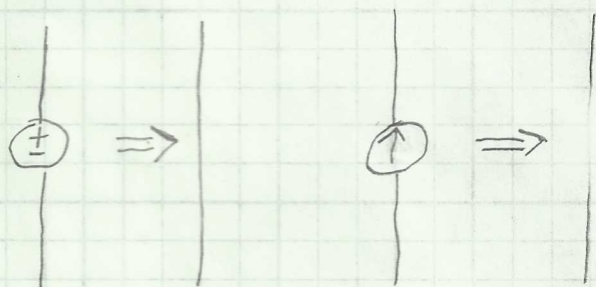


Chap. 3

Network Topology

dead network - the circuit redrawn with all of the sources "turned off".



supernode - a pair of nodes in the original circuit that become a single node in the dead network.

(Results from having a voltage source as the only element in a branch)

Nodal Analysis

Procedure :

- ① Draw the dead network
- ② Identify node in d.n.
- ③ Remove independent elements
- ④ Select a reference node (ground).
- ⑤ Define unknown voltages between the ref. node and each non-ref. node.

6.) Write the current in every branch in terms of the unknown voltage or known currents.

7.) Write KCL eqns @ each non-ref. node.

8. solve

Procedure: Loop

- ① Draw the dead network.
- ② Remove independent elements.
- ③ Assign an unknown current to circulate in each interior loop of the d.n (always in the same direction CW or (CCW)
- 4) Assign a path of circulation for each current source.
- 5.) Write the current in every branch in terms of the unknown currents & known currents.
- 6.) Write the voltages in terms of the defined currents
- 7) Write KVL eqns around each loop
 KVL: in opp. direction of I's

$$\frac{1}{R} = G \leftarrow \text{conductance}$$

$$G \rightarrow (\text{Siemens})$$

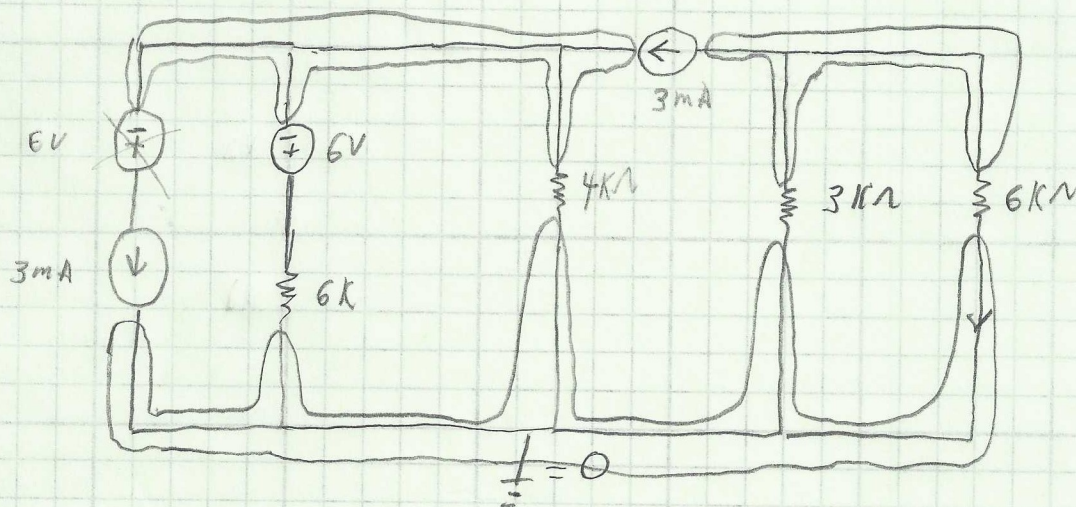
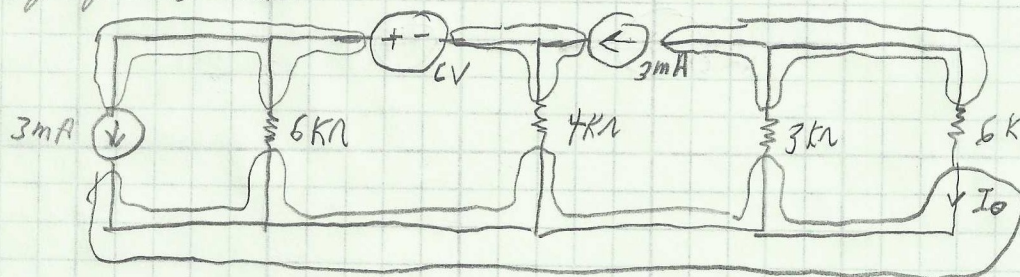
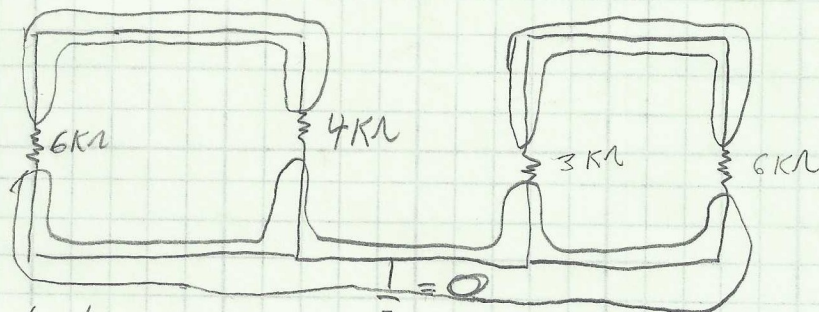


* Source Push

Only applies to
voltage sources.

Push away from

the unknown (what ever you
are trying to find.



When pushing the voltage source into a current
source the voltage falls out.

$$\left(\frac{1}{6k} + \frac{1}{4k}\right) V_1 + (0) V_2 = -3mA - \frac{6V}{6k} + 3mA$$

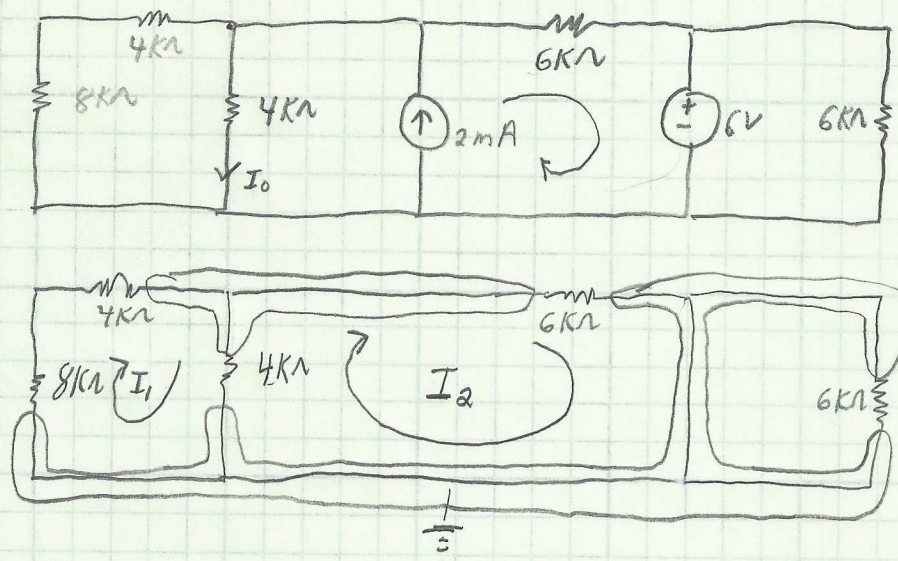
$$(0) V_1 + \left(\frac{1}{3k} + \frac{1}{6k}\right) V_2 = -3mA$$

$$\left(\frac{5}{12}\right) V_1 + (0) V_2 = -1mA$$

$$(0) V_1 + \left(\frac{1}{2k}\right) V_2 = -3mA$$

Special Note

* Push away
from dependent
variables



Note *

Cannot run current source through another current source.

$$16k\Omega I_1 + (-4k\Omega) I_2 = 0$$

$$(-4k\Omega) I_1 + (10k\Omega) I_2 = 12V + 6V$$

$$(16k\Omega) I_1 + (-4k\Omega) I_2 = 0$$

$$(-4k\Omega) I_1 + (10k\Omega) I_2 = -18V$$

$$I_1 = -\frac{1}{2} mA \quad I_2 = -2 mA$$

$$I_0 = I_1 - I_2$$

$$= \frac{-1}{2} mA - (-2mA)$$

$$= \frac{3}{2} mA$$